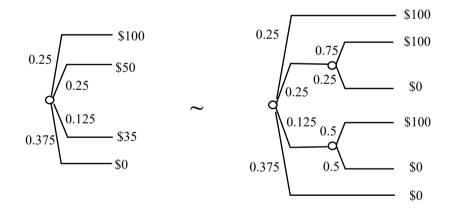


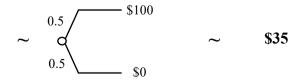
- (*a*) I would choose Deal A c/o *Choice Rule*.
- (b) The outcomes are bad, but we have made a good decision c/o good decision vs. good outcomes.
- (c) Assuming the next roll and flip are independent of the previous roll and flip, I would still choose Deal A.

P3.2

• Using the substitution rule to replace the \$50 and \$35 outcomes with their respective equivalent deals:

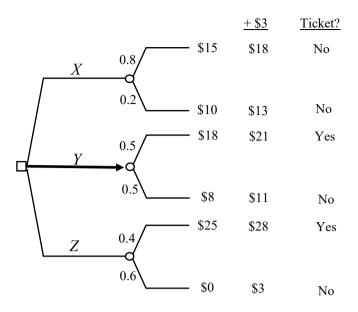


• This can be simplified using the decomposition rule to:



• Hence Certainty Equivalent = \$35.

DA (2024)



- Answer: Since all John cares about is getting a ticket or not, and he prefers getting a ticket to not getting one, he should choose Deal *Y* which has the highest probability of getting the preferred outcome. This is a direct application of the Choice Rule.
- Alternatively, using the method from Chapter 4: let u(Ticket=yes) = 1 and u(Ticket=no) = 0, and compute the expected utilities of Deals *X*, *Y* and *Z*.
- Note that maximizing the expected dollar value would be wrong because John is only concerned with getting or not getting a ticket.

P3.4

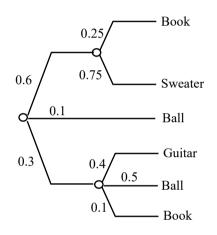
(*a***)**

- Given: Guitar ≻ Harmonica
 From the 3 relations: Guitar ≻ Book ≻ Harmonica Guitar ≻ Sweater ≻ Harmonica Guitar ≻ Ball ≻ Harmonica
 By choice rule: Ball (p=0.85) ≻ Book ((p=0.7) ≻ Sweater ((p=0.2))
- Hence required preference ordering for the 5 individual items is:

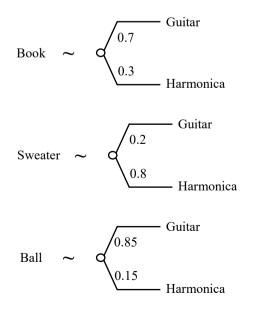
 $Guitar \succ Ball \succ Book \succ Sweater \succ Harmonica$

(b)

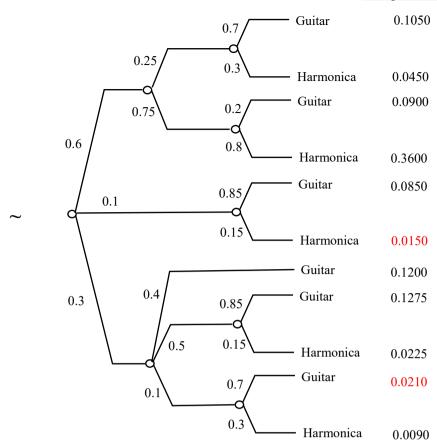
• Given



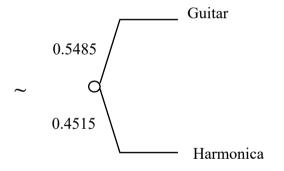
• Substituting the following certainty equivalences into the above:



Joint probability



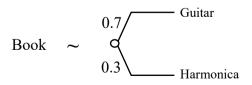
• By Decomposition Rule:



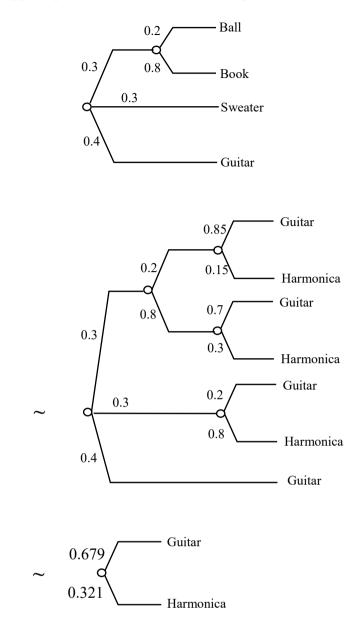
• The required Preference Probability with respect to Guitar-Harmonica Deal = 0.5485

(c)

• The Book deal is equivalent to:



• Applying the Substitution and Decomposition rules to the given Deal:



• By the Choice rule, Chris prefers Book to the given Deal since the preference probability for Book = 0.7 > 0.679 = preference probability for the Deal.

(*d*)

- No, we can't infer anything about Chris's preference for four sweaters vs. one book.
- This is because we do not enough information about Chris's preference for four sweaters as a bundle. It would be wrong to assume that the preference probability for four sweaters (w.r.t. G-H Deal) is four times that of the preference probability for one sweater (w.r.t. G-H Deal).